

# Package ‘nimbleNoBounds’

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**URL** <https://github.com/DRJP/nimbleNoBounds>

**Description** A collection of common univariate bounded probability distributions transformed to the unbounded real line, for the purpose of increased MCMC efficiency.

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**dLogChisq**      *Log transformed chi-squared distribution.*

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## Description

`dLogChisq` and `rLogChisq` provide a log-transformed chi-squared distribution.

## Usage

```
dLogChisq(x, df = 1, log = 0)

rLogChisq(n = 1, df = 1)
```

## Arguments

<code>x</code>	A continuous random variable on the real line, where $y=\exp(x)$ and $y \sim dchisq(df)$ .
<code>df</code>	<code>df</code> parameter of $y \sim dchisq(df)$ .
<code>log</code>	Logical flag to toggle returning the log density.
<code>n</code>	Number of random variables. Currently limited to 1, as is common in nimble. See <code>?replicate</code> for an alternative.

## Value

The density or log density of `x`, such that  $x = \log(y)$  and  $y \sim dchisq(df)$ .

## Author(s)

David R.J. Pleydell

## Examples

```
## Create a Chi-squared random variable, and transform it to the log scale
n = 100000
df = 3
y = rchisq(n=n, df=df)
x = log(y)

## Plot histograms of the two random variables
oldpar <- par()
par(mfrow=n2mfrow(2))
## Plot 1
hist(x, n=100, freq=FALSE, main="", xlab= "x = log(y)")
```

```

curve(dLogChisq(x, df=df), -7, 4, n=1001, col="red", add=TRUE, lwd=3)
## Plot 2: back-transformed
xNew = replicate(n=n, rLogChisq(n=1, df=df))
yNew = exp(xNew)
hist(yNew, n=100, freq=FALSE, xlab="y = exp(x)", main="")
curve(dchisq(x, df=df), 0, 30, n=1001, col="red", lwd=3, add=TRUE)
par(oldpar)

## Create a NIMBLE model that uses this transformed distribution
code = nimbleCode({
  x ~ dLogChisq(df = 0.5)
  y <- exp(x)
})

## Build & compile the model
modelR = nimbleModel(code=code)
modelC = compileNimble(modelR)

## Configure, build and compile an MCMC
conf   = configureMCMC(modelC, monitors=c("x","y"))
mcmc   = buildMCMC(conf=conf)
cMcmc  = compileNimble(mcmc)

## Run the MCMC
samps = runMCMC(mcmc=cMcmc, niter=50000)
x     = samps[, "x"]
y     = samps[, "y"]

## Plot MCMC output
oldpar <- par()
par(mfrow=n2mfrow(3))
## Plot 1: MCMC trajectory
plot(x, typ="l")
## Plot 2: target density on unbounded sampling scale
hist(x, n=100, freq=FALSE, main="Histogram of MCMC samples", xlab="x = log(y)")
curve(dLogChisq(x, df=0.5), -55, 5, n=1001, col="red", lwd=3, add=TRUE)
## Plot 3: target density on bounded scale
hist(y, n=100, freq=FALSE, xlab="y = exp(x)", main="Back-transformed MCMC samples")
curve(dchisq(x, df=0.5), 0, 20, n=1001, col="red", lwd=3, add=TRUE)
par(oldpar)

```

**Description**

dLogExp and rLogExp provide a log-transformed exponential distribution.

**Usage**

```
dLogExp(x, rate = 1, log = 0)

rLogExp(n = 1, rate = 1)
```

**Arguments**

x	A continuous random variable on the real line. Let $y = \exp(x)$ . Then $y \sim \text{dexp}(\text{rate})$ .
rate	Rate parameter of $y \sim \text{dexp}(\text{rate})$ .
log	Logical flag to toggle returning the log density.
n	Number of random variables. Currently limited to 1, as is common in nimble. See ?replicate for an alternative.

**Value**

The density or log density of x, such that  $x = \log(y)$  and  $y \sim \text{dexp}(\text{rate})$ .

**Author(s)**

David R.J. Pleydell

**Examples**

```
## Create a exponential random variable, and transform it to the log scale
n      = 100000
lambda = 3
y      = rexp(n=n, rate=lambda)
x      = log(y)

## Plot histograms of the two random variables
oldpar <- par()
par(mfrow=n2mfrow(2))
## Plot 1
hist(x, n=100, freq=FALSE)
curve(dLogExp(x, rate=lambda), -15, 4, n=1001, col="red", add=TRUE, lwd=3)
## Plot 2: back-transformed
xNew = replicate(n=n, rLogExp(n=1, rate=lambda))
yNew  = exp(xNew)
hist(yNew, n=100, freq=FALSE, xlab="exp(x)")
curve(dexp(x, rate=lambda), 0, 4, n=1001, col="red", lwd=3, add=TRUE)
par(oldpar)

## Create a NIMBLE model that uses this distribution
code = nimbleCode({
  x ~ dLogExp(rate = 0.5)
  y <- exp(x)
})

## Build & compile the model
```

```

modelR = nimbleModel(code=code)
modelC = compileNimble(modelR)

## Configure, build and compile an MCMC
conf  = configureMCMC(modelC, monitors=c("x","y"))
mcmc  = buildMCMC(conf=conf)
cMcmc = compileNimble(mcmc)

## Run the MCMC
samps = runMCMC(mcmc=cMcmc, niter=50000)
x     = samps[, "x"]
y     = samps[, "y"]

## Plot MCMC output
oldpar <- par()
par(mfrow=n2mfrow(3))
## Plot 1: MCMC trajectory
plot(x, typ="l")
## Plot 2: taget density on unbounded sampling scale
hist(x, n=100, freq=FALSE)
curve(dLogExp(x, rate=0.5), -15, 5, n=1001, col="red", lwd=3, add=TRUE)
## Plot 3: taget density on bounded scale
hist(y, n=100, freq=FALSE)
curve(dexp(x, rate=0.5), 0, 25, n=1001, col="red", lwd=3, add=TRUE)
par(oldpar)

```

**dLogGamma***Log transformed gamma distribution.***Description**

`dLogGamma` and `rLogGamma` provide a log-transformed gamma distribution.

**Usage**

```

dLogGamma(x, shape = 1, scale = 1, log = 0)

rLogGamma(n = 1, shape = 1, scale = 1)

```

**Arguments**

<code>x</code>	A continuous random variable on the real line. Let $y=\exp(x)$ . Then $y \sim \text{dgamma}(\text{shape}, \text{scale})$ .
<code>shape</code>	Shape parameter of $y \sim \text{dgamma}(\text{shape}, \text{scale})$ .
<code>scale</code>	Scale parameter of $y \sim \text{dgamma}(\text{shape}, \text{scale})$ .
<code>log</code>	Logical flag to toggle returning the log density.
<code>n</code>	Number of random variables. Currently limited to 1, as is common in nimble. See <code>?replicate</code> for an alternative.

**Value**

The density or log density of x, such that x = log(y) and y ~ dgamma(shape,scale).

**Author(s)**

David R.J. Pleydell

**Examples**

```

## Create a gamma random variable, and transform it to the log scale
n      = 100000
shape = 2
scale = 2
y      = rgamma(n=n, shape=shape, scale=scale)
x      = log(y)

## Plot histograms of the two random variables
oldpar <- par()
par(mfrow=n2mfrow(2))
## Plot 1
hist(x, n=100, freq=FALSE)
curve(dLogGamma(x, shape=shape, scale=scale), -4, 5, n=1001, col="red", add=TRUE, lwd=3)
## Plot 2: back-transformed
xNew = replicate(n=n, rLogGamma(n=1, shape=shape, scale=scale))
yNew = exp(xNew)
hist(yNew, n=100, freq=FALSE, xlab="exp(x)")
curve(dgamma(x, shape=shape, scale=scale), 0, 100, n=1001, col="red", lwd=3, add=TRUE)
par(oldpar)

## Create a NIMBLE model that uses this distribution
code = nimbleCode({
  log(y) ~ dLogGamma(shape=shape, scale=scale)
  log(y2) ~ dLogGamma(shape=shape, rate=1/scale)
  log(y3) ~ dLogGamma(mean=shape*scale, sd=scale * sqrt(shape))
})

## Build & compile the model
const = list (shape=shape, scale=scale)
modelR = nimbleModel(code=code, const=const)
simulate(modelR)
modelC = compileNimble(modelR)

## Configure, build and compile an MCMC
conf  = configureMCMC(modelC, monitors2=c("y", "y2", "y3"))
mcmc  = buildMCMC(conf=conf)
cMcmc = compileNimble(mcmc)

## Run the MCMC & extract samples
samps = runMCMC(mcmc=cMcmc, niter=50000)
x   = as.vector(samps[[1]][,"log_y"])
x2 = as.vector(samps[[1]][,"log_y2"])

```

```

x3 = as.vector(samps[[1]][,"log_y3"])
y = as.vector(samps[[2]][,"y"])
y2 = as.vector(samps[[2]][,"y2"])
y3 = as.vector(samps[[2]][,"y3"])

## Plot MCMC output
oldpar <- par()
par(mfrow=n2mfrow(4))
## Plot 1: MCMC trajectory
plot(x, typ="l")
## Plot 2: taget density on unbounded sampling scale
hist(x, n=100, freq=FALSE)
curve(dLogGamma(x, shape=shape, scale=scale), -4, 3, n=1001, col="red", lwd=3, add=TRUE)
## Plot 3: taget density on bounded scale
hist(y, n=100, freq=FALSE)
curve(dgamma(x, shape=shape, scale=scale), 0, 25, n=1001, col="red", lwd=3, add=TRUE)
## Plot 4: different parameterisations
nBreaks=51
xLims = range(pretty(range(samps[[1]])))
hist(x, breaks=seq(xLims[1], xLims[2], l=nBreaks), col=rgb(1, 0, 0, 0.1))
hist(x2, breaks=seq(xLims[1], xLims[2], l=nBreaks), col=rgb(0, 1, 0, 0.1), add=TRUE)
hist(x3, breaks=seq(xLims[1], xLims[2], l=nBreaks), col=rgb(0, 0, 1, 0.1), add=TRUE)
par(oldpar)

```

**dLogHalfflat***Log transformed half-flat distribution .***Description**

`dLogHalfflat` and `rLogHalfflat` provide a log-transformed half-flat distribution. Note, both `dhalfflat` and `dLogHalfflat` are improper. Thus, `rLogHalfflat` returns NAN, just as `rhalfflat` does.

**Usage**

```

dLogHalfflat(x, log = 0)

rLogHalfflat(n = 1)

```

**Arguments**

- |                  |  |
|------------------|--|
| <code>x</code>   | A continuous random variable on the real line, where $y=\exp(x)$ and $y \sim dhalfflat()$ .  |
| <code>log</code> | Logical flag to toggle returning the log density.  |
| <code>n</code>   | Number of random variables. Currently limited to 1, as is common in nimble. See <code>?replicate</code> for an alternative. Note, NAN will be returned because distribution is improper. |

**Value**

A value proportional to the density, or the log of that value, of  $x$ , such that  $x = \log(y)$  and  $y \sim \text{dhalfflat}()$ .

**Author(s)**

David R.J. Pleydell

**Examples**

```
oldpar <- par()
par(mfrow=n2mfrow(2))
## Plot 1
curve(dhalfflat(x), -11, 11, n=1001, col="red", lwd=3, xlab="y = exp(x)", ylab="dhalfflat(y)")
## Plot 2: back-transformed
curve(dLogHalfflat(x), -5, 1.5, n=1001, col="red", lwd=3, , xlab="x = log(y)")
abline(v=0:1, h=c(0,1,exp(1)), col="grey")
par(oldpar)
```

**dLogInvgamma**

*Log transformed inverse-gamma distribution.*

**Description**

**dLogInvgamma** and **rLogInvgamma** provide a log-transformed inverse gamma distribution.

**Usage**

```
dLogInvgamma(x, shape, scale = 1, log = 0)

rLogInvgamma(n = 1, shape, scale = 1)
```

**Arguments**

<b>x</b>	A continuous random variable on the real line. Let $y=\exp(x)$ . Then $y \sim \text{dinvgamma}(\text{shape},\text{scale})$ .
<b>shape</b>	Shape parameter of $y \sim \text{dinvgamma}(\text{shape},\text{scale})$ .
<b>scale</b>	Scale parameter of $y \sim \text{dinvgamma}(\text{shape},\text{scale})$ .
<b>log</b>	Logical flag to toggle returning the log density.
<b>n</b>	Number of random variables. Currently limited to 1, as is common in nimble. See <code>?replicate</code> for an alternative.

**Value**

The density or log density of  $x$ , such that  $x = \log(y)$  and  $y \sim \text{dinvgamma}(\text{shape},\text{scale})$ .

**Author(s)**

David R.J. Pleydell

**Examples**

```

## Create an inverse gamma random variable, and transform it to the log scale
n      = 100000
shape = 2.5
scale = 0.01
y      = rinvgamma(n=n, shape=shape, scale=scale)
x      = log(y)

## Plot histograms of the two random variables
oldpar <- par()
par(mfrow=n2mfrow(4))
## Plot 1
hist(y, n=100, freq=FALSE, xlab="y")
curve(dinvgamma(x, shape=shape, scale=scale), 0, 1.0, n=5001, col="red", add=TRUE, lwd=2)
## Plot 2
hist(x, n=100, freq=FALSE)
curve(dLogInvgamma(x, shape=shape, scale=scale), -8, 1, n=1001, col="red", add=TRUE, lwd=3)
## Plot 3: back-transformed
z = rgamma(n=n, shape=shape, scale=1/scale)
hist(1/z, n=100, freq=FALSE, xlab="y")
curve(dinvgamma(x, shape=shape, scale=scale), 0, 1, n=5001, col="red", lwd=3, add=TRUE)
## Plot 4: back-transformed
xNew = replicate(n=n, rLogInvgamma(n=1, shape=shape, scale=scale))
yNew = exp(xNew)
hist(yNew, n=100, freq=FALSE, xlab="exp(x)")
curve(dinvgamma(x, shape=shape, scale=scale), 0, 1, n=5001, col="red", lwd=3, add=TRUE)
par(oldpar)

## Create a NIMBLE model that uses this transformed distribution
code = nimbleCode({
  log(y) ~ dLogInvgamma(shape=shape, scale=scale)
})

## Build & compile the model
const = list(shape=shape, scale=scale)
modelR = nimbleModel(code=code, const=const)
simulate(modelR)
modelC = compileNimble(modelR)

## Configure, build and compile an MCMC
conf = configureMCMC(modelC, monitors=c("log_y", "y"))
mcmc = buildMCMC(conf=conf)
cMcmc = compileNimble(mcmc)

## Run the MCMC
samps = runMCMC(mcmc=cMcmc, niter=50000)
x = samps[, "log_y"]

```

```

y = samps[, "y"]

## Plot MCMC output
oldpar <- par()
par(mfrow=n2mfrow(3))
## Plot 1: MCMC trajectory
plot(x, typ="l")
## Plot 2: taget density on unbounded sampling scale
hist(x, n=100, freq=FALSE)
curve(dLogInvGamma(x, shape=shape, scale=scale), -10, 1, n=1001, col="red", lwd=3, add=TRUE)
## Plot 3: taget density on bounded scale
curve(dinvgamma(x, shape=shape, scale=scale), xlab="y = exp(x)", 0, 0.5, n=1001, col="red", lwd=3)
hist(y, n=100, freq=FALSE, add=TRUE)
curve(dinvgamma(x, shape=shape, scale=scale), 0, 0.5, n=1001, col="red", add=TRUE, lwd=3)
par(oldpar)

```

**dLogitBeta***Logit transformed beta distribution.***Description**

Logit transformation of beta random variable to the real line.

**Usage**

```

dLogitBeta(x, shape1 = 1, shape2 = 1, log = 0)

rLogitBeta(n = 1, shape1 = 1, shape2 = 1)

```

**Arguments**

- x** A continuous random variable on the real line, where  $y = \text{ilogit}(x)$  and  $y \sim \text{dbeta}(\text{shape1}, \text{shape2})$ .
- shape1** non-negative parameter of the Beta distribution.
- shape2** non-negative parameter of the Beta distribution.
- log** logical flag. Returns log-density if TRUE.
- n** Number of random variables. Currently limited to 1, as is common in nimble. See `?replicate` for an alternative.

**Value**

density or log-density of beta distributions transformed to real line via logit function.

**Author(s)**

David R.J. Pleydell

## Examples

```

## Create a beta random variable, and transform it to the logit scale
n      = 100000
sh1    = 1
sh2    = 11
y      = rbeta(n=n, sh1, sh2)
x      = logit(y)

## Plot histograms of the two random variables
oldpar <- par()
par(mfrow=n2mfrow(2))
## Plot 1
hist(x, n=100, freq=FALSE)
curve(dLogitBeta(x, sh1, sh2), -15, 4, n=1001, col="red", add=TRUE, lwd=3)
## Plot 2: back-transformed
xNew = replicate(n=n, rLogitBeta(n=1, sh1, sh2))
yNew = ilogit(xNew)
hist(yNew, n=100, freq=FALSE, xlab="exp(x)")
curve(dbeta(x, sh1, sh2), 0, 1, n=1001, col="red", lwd=3, add=TRUE)
par(oldpar)

## Create a NIMBLE model that uses this transformed distribution
code = nimbleCode({
  x ~ dLogitBeta(sh1, sh2)
})

## Build & compile the model
const = list(sh1=sh1, sh2=sh2)
modelR = nimbleModel(code=code, const=const)
modelC = compileNimble(modelR)

## Configure, build and compile an MCMC
conf = configureMCMC(modelC)
mcmc = buildMCMC(conf=conf)
cMcmc = compileNimble(mcmc)

## Run the MCMC
x = as.vector(runMCMC(mcmc=cMcmc, niter=50000))

## Plot MCMC output
oldpar <- par()
par(mfrow=n2mfrow(3))
## Plot 1: MCMC trajectory
plot(x, typ="l")
## Plot 2: taget density on unbounded sampling scale
hist(x, n=100, freq=FALSE, xlab="x = logit(y)")
curve(dLogitBeta(x, sh1, sh2), -15, 5, n=1001, col="red", lwd=3, add=TRUE)
## Plot 3: taget density on bounded scale
hist(ilogit(x), n=100, freq=FALSE, xlab="y")
curve(dbeta(x, sh1, sh2), 0, 1, n=1001, col="red", lwd=3, add=TRUE)
par(oldpar)

```

**dLogitUnif***Logit transformed beta distribution.***Description**

Transformation of uniform distribution, via scaled-logit transform, to the real line.

**Usage**

```
dLogitUnif(x, min = 0, max = 1, log = 0)
```

```
rLogitUnif(n = 1, min = 0, max = 1)
```

**Arguments**

<code>x</code>	A continuous random variable on the real line, where $y = \text{ilogit}(x) * (\text{max}-\text{min}) + \text{min}$ and $y \sim \text{dunif}(\text{min}, \text{max})$ .
<code>min</code>	lower limit of the distribution. Must be finite.
<code>max</code>	upper limit of the distribution. Must be finite.
<code>log</code>	logical flag. Returns log-density if TRUE.
<code>n</code>	Number of random variables. Currently limited to 1, as is common in nimble. See <code>?replicate</code> for an alternative.

**Value**

density, or log-density, of uniform distribution transformed to real line via scaling and logit function.

**Author(s)**

David R.J. Pleydell

**Examples**

```
## Create a uniform random variable, and transform it to the log scale
n      = 100000
lower  = -5
upper  = 11
y      = runif(n=n, lower, upper)
x      = logit((y-lower)/(upper-lower))

## Plot histograms of the two random variables
oldpar <- par()
par(mfrow=n2mfrow(2))
## Plot 1
hist(x, n=100, freq=FALSE)
curve(dLogitUnif(x, lower, upper), -15, 15, n=1001, col="red", add=TRUE, lwd=3)
```

```

## Plot 2: back-transformed
xNew = replicate(n=n, rLogitUnif(n=1, lower, upper))
yNew = ilogit(xNew) * (upper-lower) + lower
hist(yNew, n=100, freq=FALSE, xlab="exp(x)")
curve(dunif(x, lower, upper), -15, 15, n=1001, col="red", lwd=3, add=TRUE)
par(oldpar)

## Create a NIMBLE model that uses this transformed distribution
code = nimbleCode({
  x ~ dLogitUnif(lower, upper)
})

## Build & compile the model
const = list(lower=lower, upper=upper)
modelR = nimbleModel(code=code, const=const)
modelC = compileNimble(modelR)

## Configure, build and compile an MCMC
conf = configureMCMC(modelC)
mcmc = buildMCMC(conf=conf)
cMcmc = compileNimble(mcmc)

## Run the MCMC
x = as.vector(runMCMC(mcmc=cMcmc, niter=50000))

## Plot MCMC output
oldpar <- par()
par(mfrow=n2mfrow(3))
## Plot 1: MCMC trajectory
plot(x, typ="l")
## Plot 2: taget density on unbounded sampling scale
hist(x, n=100, freq=FALSE, xlab="x = logit(y)")
curve(dLogitUnif(x, lower, upper), -15, 15, n=1001, col="red", lwd=3, add=TRUE)
## Plot 3: taget density on bounded scale
hist(ilogit(x)*(upper-lower)+lower, n=100, freq=FALSE, xlab="y")
curve(dunif(x, lower, upper), -15, 15, n=1001, col="red", lwd=3, add=TRUE)
par(oldpar)

```

dLogLnorm

*Log transformed log-normal distribution.*

## Description

`dLogLnorm` and `rLogLnorm` provide a log-transformed log-normal distribution.

## Usage

```
dLogLnorm(x, meanlog = 0, sdlog = 1, log = 0)
```

```
rLogLnorm(n = 1, meanlog = 0, sdlog = 1)
```

### Arguments

x	A continuous random variable on the real line. Let $y=\exp(x)$ . Then $y \sim dlnorm(meanlog, sdlog)$ .
meanlog	mean of the distribution on the log scale with default values of '0'.
sdlog	standard deviation of the distribution on the log scale with default values of '1'.
log	Logical flag to toggle returning the log density.
n	Number of random variables. Currently limited to 1, as is common in nimble. See ?replicate for an alternative.

### Value

The density or log density of x, such that  $x = \log(y)$  and  $y \sim dlnorm(meanlog, sdlog)$ .

### Author(s)

David R.J. Pleydell

### Examples

```
## Create a log-normal random variable, and transform it to the log scale
n      = 100000
meanlog = -3
sdlog   = 0.1
y       = rlnorm(n=n, meanlog=meanlog, sdlog=sdlog)
x       = log(y)

## Plot histograms of the two random variables
oldpar <- par()
par(mfrow=n2mfrow(2))
## Plot 1
hist(x, n=100, freq=FALSE)
curve(dLogLnorm(x, meanlog=meanlog, sdlog=sdlog), -4, -2, n=1001, col="red", add=TRUE, lwd=3)
## Plot 2: back-transformed
xNew = replicate(n=n, rLogLnorm(n=1, meanlog=meanlog, sdlog=sdlog))
yNew  = exp(xNew)
hist(yNew, n=100, freq=FALSE, xlab="exp(x)")
curve(dlnorm(x, meanlog=meanlog, sdlog=sdlog), 0, 0.1, n=1001, col="red", lwd=3, add=TRUE)
par(oldpar)

## Create a NIMBLE model that uses this transformed distribution
code = nimbleCode({
  log(y) ~ dLogLnorm(meanlog=meanlog, sdlog=sdlog)
})

## Build & compile the model
```

```

const = list (meanlog=meanlog, sdlog=sdlog)
modelR = nimbleModel(code=code, const=const)
simulate(modelR)
modelC = compileNimble(modelR)

## Configure, build and compile an MCMC
conf = configureMCMC(modelC)
mcmc = buildMCMC(conf=conf)
cMcmc = compileNimble(mcmc)

## Run the MCMC
x = as.vector(runMCMC(mcmc=cMcmc, niter=50000))
y = exp(x)

## Plot MCMC output
oldpar <- par()
par(mfrow=n2mfrow(3))
## Plot 1: MCMC trajectory
plot(x, typ="l")
## Plot 2: taget density on unbounded sampling scale
hist(x, n=100, freq=FALSE)
curve(dLogLnorm(x, meanlog=meanlog, sdlog=sdlog), -4, -2, n=1001, col="red", lwd=3, add=TRUE)
## Plot 3: taget density on bounded scale
hist(y, n=100, freq=FALSE)
curve(dlnorm(x, meanlog=meanlog, sdlog=sdlog), 0, 0.1, n=1001, col="red", lwd=3, add=TRUE)
par(oldpar)

```

**dLogWeib***Log transformed Weibull distribution.***Description**

dLogWeib and rLogWeib provide a log-transformed Weibull distribution.

**Usage**

```

dLogWeib(x, shape = 1, scale = 1, log = 0)

rLogWeib(n = 1, shape = 1, scale = 1)

```

**Arguments**

x	A continuous random variable on the real line, where $y=\exp(x)$ and $y \sim \text{dweib}(\text{shape}, \text{scale})$ .
shape	Shape parameter of $y \sim \text{dweib}(\text{shape}, \text{scale})$ .
scale	Scale parameter of $y \sim \text{dweib}(\text{shape}, \text{scale})$ .
log	Logical flag to toggle returning the log density.
n	Number of random variables. Currently limited to 1, as is common in nimble. See ?replicate for an alternative.

**Value**

The density or log density of  $x$ , such that  $x = \log(y)$  and  $y \sim \text{dweib}(\text{shape}, \text{scale})$ .

**Author(s)**

David R.J. Pleydell

**Examples**

```
## Create a Weibull random variable, and transform it to the log scale
n      = 100000
shape = 2
scale = 2
y      = rweibull(n=n, shape=shape, scale=scale)
x      = log(y)

## Plot histograms of the two random variables
oldpar <- par()
par(mfrow=n2mfrow(2))
## Plot 1
hist(x, n=100, freq=FALSE, xlab="x = log(y)",
      main="Histogram of log-transformed random numbers from rweibull.")
curve(dLogWeib(x, shape=shape, scale=scale), -6, 3, n=1001, col="red", add=TRUE, lwd=3)
## Plot 2: back-transformed
xNew = replicate(n=n, rLogWeib(n=1, shape=shape, scale=scale))
yNew = exp(xNew)
hist(yNew, n=100, freq=FALSE, xlab="y = exp(x)", main="Histogram of random numbers from rLogWeib.")
curve(dweibull(x, shape=shape, scale=scale), 0, 100, n=1001, col="red", lwd=3, add=TRUE)
par(oldpar)

## Create a NIMBLE model that uses this transformed distribution
code = nimbleCode({
  log(y) ~ dLogWeib(shape=shape, scale=scale)
})

## Build & compile the model
const = list (shape=shape, scale=scale)
modelR = nimbleModel(code=code, const=const)
simulate(modelR)
modelC = compileNimble(modelR)

## Configure, build and compile an MCMC
conf  = configureMCMC(modelC)
mcmc  = buildMCMC(conf=conf)
cMcmc = compileNimble(mcmc)

## Run the MCMC
x = as.vector(runMCMC(mcmc=cMcmc, niter=50000))
y = exp(x)

## Plot MCMC output
```

```

oldpar <- par()
par(mfrow=n2mfrow(3))
## Plot 1: MCMC trajectory
plot(x, typ="l")
## Plot 2: taget density on unbounded sampling scale
hist(x, n=100, freq=FALSE, main="Histogram of MCMC samples", xlab="x = log(y)")
curve(dLogWeib(x, shape=shape, scale=scale), -5, 3, n=1001, col="red", lwd=3, add=TRUE)
## Plot 3: taget density on bounded scale
hist(y, n=100, freq=FALSE, xlab="y = exp(x)",
      main="Histogram of back-transformed MCMC samples")
curve(dweibull(x, shape=shape, scale=scale), 0, 8, n=1001, col="red", lwd=3, add=TRUE)
par(oldpar)

```

**efficiencyGain***Efficiency gain estimates from vignette example***Description**

The toy example in the vignette provides a simple Monte Carlo experiment that tests the gain in sampling efficiency when switching to sampling on unbounded scales (i.e. the real line). Since that Monte Carlo experiment takes 10 minutes to run, ‘efficiencyGain’ is provided as an example set of output data - providing an alternative to re-running the Monte Carlo code.

**Format**

A data frame with 111 rows (number of Monte Carlo replicates) and 8 variables

- beta** Efficiency gain when sampling a beta distribution on the real line.
- chisq** Efficiency gain when sampling a chi-squared distribution on the real line.
- exp** Efficiency gain when sampling a exponential distribution on the real line.
- gamma** Efficiency gain when sampling a gamma distribution on the real line.
- invgamma** Efficiency gain when sampling a inverse-gamma distribution on the real line.
- Inorm** Efficiency gain when sampling a log-normal distribution on the real line.
- unif** Efficiency gain when sampling a uniform distribution on the real line.
- weib** Efficiency gain when sampling a Weibull distribution on the real line.

**Author(s)**

David Pleydell

**Source**

See ‘vignette("nimbleNoBounds")‘

---

**nimbleNoBounds**

---

*nimbleNoBounds*

---

### Description

A collection of NIMBLE functions for sampling common probability distributions on unbounded scales.

### Transformed probability distributions for unbounded sampling in NIMBLE.

NA

### See Also

[https://r-nimble.org/\\_PACKAGE](https://r-nimble.org/_PACKAGE)

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